

## Image analysis: <br> How to convert micrographs to numbers

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The lecture was created for courses on Polymer Morphology.
Great majority of information in this lecture holds for non-polymeric materials as well.
Contents of this lecture
(1) IMA = IMage Analysis: explanation of basic terms image processing = adjustment of $B / C / G$, cut outs, inserting scalebars... image analysis = extracting quantitative information from micrographs
(2) Analysis of objects vs. analysis of fields:
analysis of objects (size and shape of a particle: EqDiameter, Circularity, Elongation...) analysis of fields (structure coarseness, area and volume fractions, quantitative colors...)
(3) Examples of image analysis by means of ImageJ:
manual measurements: (i) calibration, (ii) interactive measurement, (iii) saving results automatic measurements (i) segmentation (ii) object/field features, (iii) saving results supplement: automatic segmentation $\rightarrow$ binary operations $\rightarrow$ manual adjustment

## Intro \& summary :: Outputs from EM and their processing

## SEM and TEM outputs

1) Images = (real, direct) images $=$ micrographs.

SEM/SE, SEM/BSE, SEM/STEM, SEM/EDX-maps
TEM/BF, TEM/DF, TEM/EDX-maps
...qualitative analysis and interpretation: lectures SEM+TEM
...quantitative analysis = image analysis = numeric outputs = this lecture
2) EDX spectra.

SEM/EDX, TEM/EDX
...qualitative analysis (which elements are present): lectures SEM+TEM
...quantitative analysis (how many of each element): software of your microscope
3) Diffractograms = diffraction images = diffraction patterns.

TEM/(SA)ED
...basics of diffraction theory and analysis: lectures TEM

Image processing $=$ adjustment of $B / C / G$, scalebars... $\rightarrow$ supplementary materials: ImageJ Image analysis = extracting quantitative information from micrographs $\rightarrow$ this lecture

## Why IMA = why to convert images to numbers?

Calibration. Manual measurements. Segmentation \& automatic measurements.

(1) SEM/SE

(2) SEM/BSE

(3) SEM/STEM

(4) TEM/BF

(5) TEM/DF

(6) EDXmap

Some questions that force us to convert images to numbers:
How big are the particles in images (2), (3) and (6)?
Which structure is finer (coarser) - the one in image (1) or (4) or (6)?
Which particles are more spherical - those on image (1) or (2) or (4) or (6)?
What is the area fraction and volume fraction of the particles/phases in all images?
Calibration = determination of real width of image = pixel size
(ImageJ: measure a known length in an image... $\rightarrow$ see supplementary material: ImageJ
Manual measurements = interactive measurement of objects on the micrographs with a mouse
(ImageJ: process image, calibrate image, measure objects using your mouse... $\rightarrow$ [Ex.1]
Segmentation \& automatic measurements
(segmentation = separation of objects from background to get binary image
(binary image = B\&W image, where objects = white and background = black
(automatic measurement = software (NISe, ImageJ) extracts data from (binary) image

## What is the size of (arbitrary) particle?

Answer: Image analysis $\rightarrow$ Object measurement $\rightarrow$ EquivalentDiameter


Which is bigger, the square or the cross?

DEFINITION - EquivalentDiameter:
EqDia $=\sqrt{ }(4 *$ Area $) / \pi$

The square:
EqDia $=\sqrt{ }(4 * 9) / \pi=3.39 \mu \mathrm{~m}$
The cross:
EqDia $=\sqrt{ }(4 * 9) / \pi=3.39 \mu \mathrm{~m}$

Conclusion:

1) The two particles have the same size.
2) This works for arbitrary shapes.

From the point of view of IMA, micrograph are a 2D-array of pixels with values $0 . . .255=$ black...white. Color images (each pixel has three values: red, green, and blue, intervals $0-255$ ) - special case, see next. Grayscale images (each pixel has one value within interval 0-255) - typical output from SEM and TEM. Binary images (each pixel has is either black or white) - frequently used in IMA. Image J works with all types of images; binary images are made using [Selections + ROI's + Masks].

## Which particle is more spherical?

Answer: Image analysis $\rightarrow$ Object measurement $\rightarrow$ Circularity, Elongation


The key step in image analysis is usually the segmentation = conversion grayscale $\rightarrow$ binary image. How do we make segmentation?

1) Theoretically: arbitrary image editor.
2) In real life: special software for image analysis, such as ImageJ.
3) Typical procedure: Threshold $\rightarrow$ Binary operations $\rightarrow$ Manual adjustment (see examples).

## Which structure is finer?

Answer: Image analysis $\rightarrow$ Field measurement $\rightarrow$ MeanChord $=$ MLI


MeanChord $=1.2 \mu \mathrm{~m}$


MeanChord $=3.8 \mu \mathrm{~m}$


MeanChord = averaged length of lines $I_{1}$ and $I_{2}$.

Mean Chord = Mean Linear Intercept = MLI:
Definition: average length of line segments between two phases, averaged over all directions. In IMA: average length of line segments .............. averaged over directions $0,90(45,135)$ deg.

MeanChord can be determined also from SAXS (small-angle X-ray scattering).
Principle: in SAXS, MeanChord is called average chord length. The SAXS calculation is based on Porod's Law, from which we get (for $q R_{g} \gg 1$ ): $I(q) / Q \approx S / V * 1 / q^{4}, I_{1}=4 \Phi_{1} S / V, I_{2}=4 \Phi_{2} S / V$.
MeanChord is not in the standard ImageJ installation, but you can download a plugin: GoogleSearch: ImageJ mean linear inctercept $\Rightarrow$ https://med.nyu.edu/nolanlab/software

## What is the volume fraction of investigated phase?

Answer: Image analysis $\rightarrow$ Field measurement $\rightarrow$ AreaFraction...

(c) PS454 / Binarylmage [16058b.png]

(b) K336m_SMAP / STEM [16073um.png]
(d) K336m_SMAP / Binarylmage [16073b.png]

SEM/STEM micrograph of two HIPS polymers.

Question:
what is the volume of PB particles in PS matrix?

Answer: surprisingly simple stereological formula

$$
V_{V} \approx A_{A}
$$

...volume fraction (volume in volume) is approximately equal to the area fraction (area in area).
$\rightarrow$ [Ex.4]

## Can I detect (and quantify) color changes of my samples?

Answer: Image analysis $\rightarrow$ Field analysis $\rightarrow$ MeanGray, RGB values, Hue, Saturation..


A series of UHMWPE samples, which were irradiated by accelerated electrons in air. According to IR, oxidative degradation increases with radiation dose.

Questions
Oxidation of UHMWPE means yellowing
$\Rightarrow$ can we see it?
$\Rightarrow$ can we prove it quantitatively by IMA?

Answers:

1) Naked eye: difficult.
2) IMA: clear and quantitative proof.

$$
\rightarrow[\text { Ex.5] }
$$

## Conclusions \& summary

* The lecture was focused on IMage Analysis = IMA = extracting of quantitative information from images and micrographs.
* We showed to quantify the following features = morphological descriptors:
- EqDiameter = size of particle with arbitrary shape
- Circularity and Elongation = numeric description of particle shapes
- MeanChord = MLI = quantitative evaluation of structure fineness/coarseness
- AreaFraction and VolumeFraction = area or volume occupied by investigated phase
- Colors = quantitative evaluation of colors, by means of Hue, Saturation etc...
* The image analyses can be performed with ImageJ program, which has the following advantages:
- Freeware - installation and usage is perfectly legal.
- Well-established and widely used - lot of information in www.
- Very popular among microscopists - there are even special ImageJ workshops.


## Image processing and analysis with ImageJ

* Introduction to ImageJ $\rightarrow$ supplementary material to introductory lecture EMO
* Practical examples with ImageJ $\rightarrow$ supplementary material to this lecture EM3

Content of the subdirectory IMAGEJ (available on www-site):
(https://mirekslouf.webnode.cz $\rightarrow$ Lectures for Trento $\rightarrow$ 3IMA $\rightarrow$ EXAMPLES

- EXO = basic processing of one micrograph + manual measurements
- EX1 = processing of multiple micrographs + simple automation by IJM macros
- EX2 = segmentation of simple image + automatic object measurement
- EX3 = segmentation of more difficult image + automatic field measurement
* Supplements $\rightarrow$ the last slides of this presentation

Comparison of morphological descriptors in ImageJ and NIS-elements Additional useful morphological descriptors References to case studies

## [Example 1] IMA :: Manual measurements



## SEM/SE

 micrograph of a pellet that is used for drug delivery. The envelope of the pellet should be optimized for correct release of the drug contained inside. Collaboration between IMC and Zentiva company.Calibration: we mark a known distance on the image and input information about its length. Manual measurement: after calibration, we can measure lengths (areas, angles) with mouse... Note: This example is in NIS-elements (formerly LUCIA) , but in ImageJ it works the same - see next.

## [Example 2] IMA :: Automated measurements

Source data = SEM/SE micrograph of UHMWPE particles isolated on a polycarbonate membrane.



Result of IMA
$\rightarrow$ the area covered by the particles is proportional to the volume of the particles.



Macro in program NISe, which converts the grayscale SEM/SE micrograph to binary image.

Binary image has just two colors: white = objects black = background.

## [Example 3] IMA :: Size and shape of arbitrary particles

Morphological descriptors - object features - size and shape of arbitrary particles

Particle size $\rightarrow$ EqDiameter


## Equivalent

 diameter = DComputer measures directly:
A = area of the object/particle
We define:
A(eq) = area of a (hypothetical) circle with the area $A$

Therefore:

$$
\begin{aligned}
& A(e q)=A \\
& A(e q)=1 / 4 * \pi * D^{2} \\
& D=(4 A(e q) / \pi)^{1 / 2}=(4 A / \pi)^{1 / 2}
\end{aligned}
$$

## Verbally:

EqDiameter is the diameter of a circle with the same area as the measured particle.

Particle shape
$\rightarrow$ Circularity, Elongation...


Computer measures directly:

$$
\begin{aligned}
\text { MaxFeret } & =\text { maximal projection } \\
\text { MinFeret } & =\text { minimal projection } \\
\text { Area } & =\text { area of the particle } \\
\text { Perimeter } & =\text { perimeter of the particle }
\end{aligned}
$$

## We define:

C $=$ Circularity $=4 * \pi *$ Area $/$ Perimeter ${ }^{2}$
E = Elongation = MaxFeret / MinFeret

## Therefore:

for a circle $\Rightarrow C=1, E=1$ Left as an exercise for for a line $\Rightarrow C=0, E=\infty$ the audience ()

## [Example 4] IMA :: Justification of $V_{V} \approx A_{A}$



Eq.(1): volume $=$ base $*$ height
$A_{\alpha}(x) \rightarrow$ area fraction changes with $x$
Eq.(2): analogy with arithmetic mean

$$
\overline{A_{\alpha}}=1 / N \Sigma_{\mathrm{i}} A_{\alpha}(i)
$$

Eq.(3): logic + substitutions from (1+2)
$V_{T}=L^{3}=$ total volume of the cube
$V_{V}=V_{\alpha} / V_{T}=$ volume fraction of phase $\alpha$ (in cube)
$V_{\alpha}=$ total volume of phase $\alpha$ in the whole cube $A_{T}=L^{2}=$ area of cut section
$A_{\mathrm{A}}=A_{\alpha} / A_{T}=$ area fraction of phase $\alpha$ (in section)
$A_{\alpha}=$ total area of phase $\alpha$ in the whole section

$$
\begin{align*}
& d V_{\alpha}=A_{\alpha}(x) d x \longleftarrow  \tag{Eq. 1}\\
& \mathrm{x} \quad \overline{A_{\alpha}}=1 / L \int_{0}^{L} A_{\alpha}(x) d x \longleftarrow \downarrow \tag{Eq. 2}
\end{align*}
$$

$$
\begin{equation*}
V_{\alpha}=\int_{0}^{L} d V_{\alpha}=\int_{0}^{L} A_{\alpha}(x) d x=L \overline{A_{\alpha}} \tag{Eq. 3}
\end{equation*}
$$

$$
\begin{gathered}
V_{\alpha}=L \overline{A_{\alpha}} \\
\stackrel{V_{\alpha} / V_{T}=L \overline{A_{\alpha}} / V_{T}=\overline{A_{\alpha}} / A_{T}}{\longrightarrow} \quad=\quad \overline{A_{A}} \approx A_{A}
\end{gathered}
$$

take Eq. 3 divide by $V_{T}$ consider $L V_{T}=A_{T}$ Q.E.D

Key approximation: $A_{A} \approx \overline{A_{A}} \Rightarrow$ AreaFraction of $\alpha$ in a section = average AreaFraction of $\alpha .14$

## [Example 5] IMA :: Quantification of colors - part 1

Color models, color spaces, conversion of colors to numbers.

## RGB model

Additive color mixing


Black $=$ no light $=[R, G, B]=[0,0,0]$
White $=$ all pixels shine $=[255,255,255]$
Red $=$ only red pixels $=[R, G, B]=[255,0,0]$
Green $=$ only green pixels $=[0,255,0]$
Yellow = Red+Green [255,255,0] ...

## Summary:

1) Each color $=3$ numbers $=[R, G, B]$.
2) The three numbers can be regarded as coordinates, which gives RGB color space.

## Alternative: HSV model

Less straightforward, more user-oriented.
As for colors, our eyes recognize namely:

1) Main color $=$ Hue $=\mathrm{H}$
main wavelength, colors in circle: 0-360
2) Intensity of the color $=$ Saturation $=S$
no color (grayscale) $\rightarrow$ intensive color: $0 \rightarrow 1$
3) Brightness of the color = Value $=\mathrm{V}$
no shine (black) $\rightarrow$ strong shine: $0 \rightarrow 1$
This gives us HSV color space (analogous to RGB).


Note: In computers we have: 1 byte $=2^{8}$ bit $=256$ bit $\Rightarrow R G B$ values are (usually) in the range 0-255.
[Example 5] IMA :: Quantification of colors - part 2
Description of HSV model. Conversions RGB $\leftrightarrow$ HSV in Jupyter/Python.

```
# Conversions between RGB and HSV color spaces in Jupyter/Python.
# (very easy: just import colorsys module from standard distribution
# (note: the numerical inputs/outputs in colorsys module are normalized to 1
```

```
import colorsys
```

\# Blue (RGB -> HSV)
colorsys.rgb_to_hsv(0,0,1)
$(0.6666666666666666,1.0,1)$

```
# Interpretation:
# * Hue = 2/3*360 = 240deg ~ blue color
# (in HSV system: red,green,blue ~ 0,120,240deg
# * Saturation = clear color = saturation 1 (100%)
# * Value = color with maximum brightness = 1 (100%)
```

```
# Mean gray (RGB -> HSV)
colorsys.rgb_to_hsv(0.5,0.5,0.5)
```

$(0.0,0.0,0.5)$
\# Interpretation:
\# * Hue,Saturation $=\theta, \theta=>$ no color
\# * Value $=0.5 \sim$ mean gray $\sim$ intensity 0.5 (50\%)

Description of HSV color space


## Supplements

* Comparison of morphological descriptors in ImageJ and NIS-elements
* Additional useful morphological descriptors
* References to case studies


## Supplement :: Morphological descriptors :: ImageJ vs. NIS elements

* ImageJ = free software with limited range of descriptors
* NIS-elements = commercial software with very broad range of descriptors


## Two basic types of morphological descriptors:

$\rightarrow$ for individual objects: object features - such as EqDiameter, Circularity...
$\rightarrow$ for whole areas, micrographs: field features - such as MeanChord, AreaFraction...
The terminology and descriptors shown in the previous slides are from NIS elements. Equivalent descriptors exist also in ImageJ, but the terminology is not so standardized. (ImageJ, object features: Menu - Analyze - Analyze particles (ImageJ, field features: Menu - Analyze - Analyze particles - Summarize

| NIS elements | ImageJ |
| :--- | :--- |
| EqDiameter | Measure [Area] and recalculate: EqDiameter $=\sqrt{ }(4 *$ Area/ $\pi)$ |
| Circularity | Measure [Shape descriptors], Circularity is among them |
| Elongation | Measure [Feret's diameter] and recalculate: Elongation = Feret/MinFeret |
| AreaFraction | Measure [Area] and use Menu - Analyze - Analyze particles - Summarize |
| MeanChord | Download a plugin: https://med.nyu.edu/nolanlab/software |
| Colors | Use pre-installed plugin: Menu - Plugins - Analyze - RGB measure |

Conclusion: ImageJ is a well-established, high quality piece of free software, but concerning morphological descriptors it is not as elegant as the competing commercial NIS elements.

## Supplement :: Additional useful morphological descriptors

* Again, the names of the descriptors come from NIS elements.
* Equivalents of these descriptors do exist (or can be calculated) also in ImageJ.

Area is a principal size criterion. In a non-calibrated system, it expresses the number of pixels; in a calibrated one, it expresses the real area. (object feature)
$\Rightarrow$ Area is a basic descriptor, it can be measured directly (number of pixels); it describes area/2d-projection of an object $\approx$ volume of object; main usage of Area consists in calculation of further descriptors (such as EqDiameter, Circularity, or FillRatio below)

AreaFraction is the ratio of the segmented image area and the MeasuredArea. It has a strong stereological interpretation: in the case of isotropic uniform random sections it is equal to the volume fraction. (field feature)
$\Rightarrow$ By means of AreaFraction we can estimate the volume fraction of the investigate phase; it is area of objects on the micrograph $\left(A_{A}\right)$ and we suppose $A_{A}=V_{V}$

FillArea: In case an object does not contain holes then the FillArea is equivalent to the Area. If an object contains holes, FillArea remains the same while Area is reduced by the area of the holes. (object feature)
FillRatio = Area/FillArea. (object feature)
$\Rightarrow$ the descriptor FillRatio differentiates objects with and without holes.


How in ImageJ? $\rightarrow$ combine previous slides + common sense + manual + www

## Examples of image analysis in our publications

IMA is widely applied, because quantitative information is preferred in publications.

1) IMA employed in automated analysis of nanoparticles for multiple immunolabeling. We developed a script, which evaluates several morphological descriptors and differentiates larger Pd cubic nanoparticles from smaller spherical Au nanoparticles.

- M.Slouf et al. Colloids and Surfaces B: Biointerfaces 100 (2012) 205-208

2) IMA employed in quantitative evaluation of yellowing of UHMWPE after e-beam crosslinking in air. Correlation between oxidation and color change was confirmed.

- M.Slouf et al. J. Biomed. Mater. Res. Part B. Appl. Biomater, 85B (2008) 240-251

3) IMA employed for quantification of UHMWPE wear particles. The isolated particles formed agglomerates which prevented direct counting. Our script yielded a good estimates of particle numbers based on the semi-automatic segmentation and their AreaFraction.

- M.Slouf et al. Wear 262 (2007) 1171-1181

4) Justification of the key stereological relationship $A_{A}=V_{V}$, i.e. area-in-area (area fraction some phase in the micrograph) = volume-in-volume (volume fraction of the phase).

- E.E.Underwood: Quantitative Stereology, pp. 25-27.
* The above publications (1-3) come from our laboratory, many other examples are in www.
* The publications are available on WebOfScience or at request (slouf@imc.cas.cz).

